Example

A shuttle operator charges a fare of \$10 to the airport and carries 300 people per day. The owner of the shuttle service estimates for every dollar increase in fare, he will lose 15 passengers. Find the most profitable fare for him to charge.

equation was given. Let's see how we can address Cost x people = fare 10 x 300 = \$3000	that.	
For every increase of \$1, he loses 15 people. Writing an (10 + x)(300 - 15x) = fare $3000 + 150x - 15x^2 = $ fare		equation, we have
Using $-b/2a$, $b = 150$, $a = -15$, we have $-150/-30 = 5$. The x should charge \$15.		coordinate of the vertex.
If he increased the fare by \$5 to \$15, he would maximize his juation, we have		profit. Substituting 5 into
(10+5)(300-15(5)) = fare $15 (225) = 3375 Knowing the math increased his income from fares from \$3000		to \$3,375. An increase of
	b equation was given. Let's see how we can address Cost x people = fare 10 x 300 = \$3000 For every increase of \$1, he loses 15 people. Writing an (10 + x)(300 - 15x) = fare $3000 + 150x - 15x^2 = \text{fare}$ Using $-b/2a$, $b = 150$, $a = -15$, we have $-150/-30 = 5$. The x should charge \$15. If he increased the fare by \$5 to \$15, he would maximize his juation, we have (10 + 5)(300 - 15(5)) = fare 15 (225) = \$3375 Knowing the math increased his income from fares from \$3000 00	b equation was given. Let's see how we can address Cost x people = fare 10 x 300 = \$3000 For every increase of \$1, he loses 15 people. Writing an (10 + x)(300 - 15x) = fare $3000 + 150x - 15x^2 = \text{fare}$ Using $-b/2a$, $b = 150$, $a = -15$, we have $-150/-30 = 5$. The x should charge \$15. If he increased the fare by \$5 to \$15, he would maximize his puation, we have (10 + 5)(300 - 15(5)) = fare 15 (225) = \$3375 Knowing the math increased his income from fares from \$3000 00