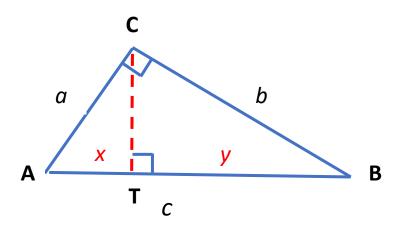
Proof – Pythagorean Theorem



Statements

- 1. \triangle ACB, C is rt \angle
- 2. Draw alt. to AB
- 3. \triangle ACB \sim \triangle ATC and \triangle ACB \sim \triangle BTC
- 4. $\triangle ATC \sim \triangle BTC$

$$\frac{c}{a} = \frac{a}{v}; \frac{c}{b} = \frac{b}{v}$$

- 5. a y b x
- 6. x + y = c
- 7. $cy = a^2 ; cx = b^2$
- 8. $cy + cx = a^2 + b^2$
- 9. $c(y + x) = a^2 + b^2$
- 10. $c^2 = a^2 + b^2$

Reasons

Given

Construction

AAP

Transitive Property

Altitude drawn, leg is geo mean

Segment Addition Postulate

Prop of proportion from step 3

Add prop =, from step 5

Distrib prop (factoring)

Substitution